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# The Dependence of Volumetric Properties on the Molecular Composition of Nematic Liquid Crystals

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Density studies on various terminally polar and non-polar nematic liquid crystals, measured as a function of temperature, are reported. The molar volumes were fitted to model equations by a non-linear numerical least squares fit. These equations contain non-linear terms of the form  $c_1 (T - T_c^1)^{\beta_1}$  for  $T > T_c^1$  and  $-c_N (T_c^N - T)^{\beta_N}$  for  $T < T_c^N$ . It is shown that the coefficients  $c_N$  and  $c_1$  are correlated with the extrapolated volume discontinuity  $\Delta V_{c,99}$  at the nematic-isotropic phase transition temperature  $T_c$ . Furthermore, for all liquid crystals investigated there exists a correlation between  $\Delta V_{c,99}$  and the order parameter  $S_{zz}$  ( $t_r = 0.99$ ) as determined by infrared dichroism. Our density measurements suggest that  $c_N$  and  $c_1$  depend on the molecular structure of the liquid crystal and are not universal for the nematic-isotropic phase transition. Assuming universal exponents  $\beta_N$  and  $\beta_1$  we evaluate the average values  $\beta_N = 0.388 \pm_{-0.085}^{+0.096}$  and  $\beta_1 = 0.135 \pm_{-0.045}^{+0.065}$ .

## INTRODUCTION

The liquid crystalline state is characterised by the long range orientational ordering of its constituent molecules. Different mesophases may exist and transitions between them are accompanied by changes in various tensor properties. Depending on the order of the transition they may also show changes in scalar quantities such as enthalpy content or density. The alterations in density and thermal expansivity which accompany the nematic to isotropic phase transition have been the subject of many investigations.<sup>1–5</sup> A discontinuous increase in the density at the isotropic–nematic phase transition appears which is related to an enhancement of molecular packing in the orientationally ordered mesophase. Further, a pretransitional anomaly of the thermal expansivity in both the nematic and the isotropic phase close to the transition temperature is experimentally well-established.<sup>1</sup> In a number of studies attempts have been made to determine the critical behaviour of this transition<sup>3–7</sup> for selected liquid crystals.

However, there exist no systematic studies on the influence of molecular composition on density. On the other hand, such investigations have been accomplished for physical properties such as elastic constants, dielectric constants, viscosities,<sup>8,9</sup>

and recently for order parameters  $S_{zz}$  and  $D$ .<sup>10-12</sup> In order to improve the physical understanding of molecular interaction, it is of general interest to search for relationships between molecular structure and material parameters for as many physical properties as possible.

According to theory relating to elastic constants, there should exist a relationship between the ratio of elastic constants for bend and splay  $K_3/K_1$  and the dimensions of the assumed short range lattice.<sup>13</sup> From this point of view, it would also be of interest to know the dependence of densities on molecular structure. Many data about material properties have been collected through the work of Schadt<sup>8</sup> and Scheuble.<sup>9</sup> In order to include classes of substance possessing just a monotropic phase or to broaden the nematic phase ranges, the cited authors have chosen mostly to study binary mixtures. To benefit from the cited papers we have also taken binary mixtures with the same mixture ratios as those in References 8-12. After presenting results of density measurements made as a function of temperature for various liquid crystal classes, we investigate the correlation between discontinuities in molar volume  $\Delta V_c$  and long range orientational order parameter  $S_{zz}$  across the first order nematic-isotropic phase transition.

## EXPERIMENTAL

Measurements were made with the familiar PARR digital precision density meter system (DMA 60 + 2  $\times$  DMA 602 HT) which counts the resonance frequency of a hollow glass tube filled with the liquid crystal material to be studied. A second measuring cell filled with nonane is used and operates as a reference cell. The temperatures of both measuring cells are controlled simultaneously by a water-filled circulation thermostat (Hake F3). The temperature in the cell is measured by a platinum resistance thermometer (Pt 100), placed as near as possible to the measuring cell, and a Fluke 2180A-RTD digital thermometer. The measured average temperature fluctuation amounts typically to 0.005° by using 10 average values. The measuring signal from the nonane-filled cell is used as a reference signal for the measurement of the cell filled with liquid crystal. Temperature fluctuations, due to the temperature regulation procedure occurring correlatively in both measuring cells, show a considerably reduced influence on the density values because nonane and the liquid crystal materials have very similar thermal expansion coefficients (except at the first order phase transition). By this method the relative precision of the evaluated density data is considerably increased and should be better than  $5 \times 10^{-6}$ . The absolute error in our density data amounts to  $2 \times 10^{-4}$  and is determined completely by the absolute precision of the densities of our calibration substances, air and nonane. The whole measuring system is fully computer controlled, enabling us to obtain automatically density-temperature curves. In Figure 1, the molar volume of PCH 7/5 as a function of reduced temperature is given as a typical experimental example.

Starting far away from the nematic-isotropic phase transition, in the isotropic region, the temperature interval between successive data points amounts to 1°. On approach to the isotropic-nematic phase transition temperature  $T_c$ , this interval is

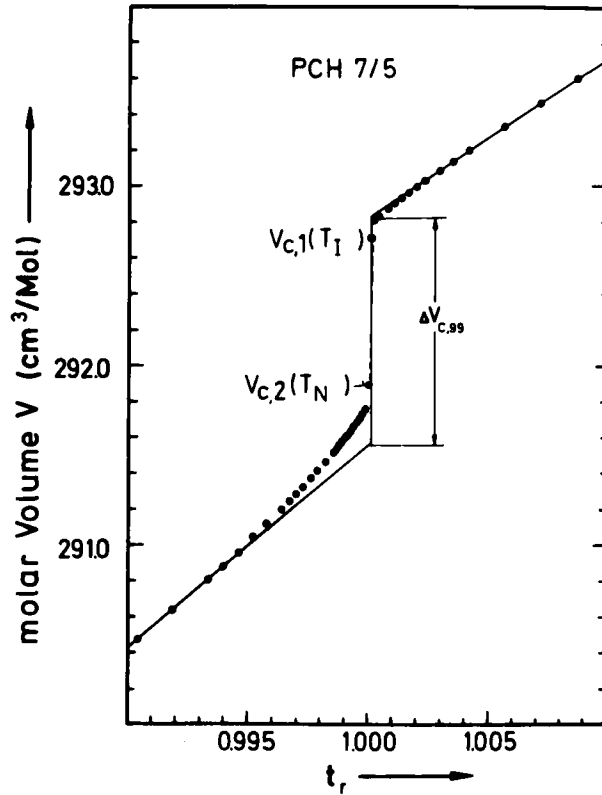


FIGURE 1 The molar volume of PCH 7/5 *versus* the reduced temperature  $t_r = T/T_c$  is given as an experimental example.  $\Delta V_{c,99}$  was determined by a straight line extrapolation procedure from the data points at  $t_r = 0.99$  and  $t_r = 1.01$  to  $t_r = 1.00$ . The nematic-isotropic transition temperature  $T_c$  was taken by microscopic texture observation. This value agrees very well with the maximum of the thermal expansion coefficient as determined by differentiation of the experimental volumetric data.

diminished discontinuously until a minimum value of about  $0.04^\circ$  is reached at  $T_c$ . After passing  $T_c$ , the temperature interval increases again in the nematic phase, until it saturates at the maximum value of  $1^\circ$ . In consideration of the abundance of data, we have preferred to present them in a compact, easily comparable form. We have fitted our molar volumes to the following model equations<sup>3,5,7</sup>:

$$\begin{aligned}
 V(T) &= V_c - b_N (T_c^N - T) - c_N (T_c^N - T)^{\beta_N} & T < T_c^N \\
 V(T) &= V_c + b_I (T - T_c^I) + c_I (T - T_c^I)^{\beta_I} & T > T_c^I \\
 &\text{with } T_c^I < T_c < T_c^N
 \end{aligned} \tag{1}$$

Both equations contain together nine unknown parameters. The quantities  $b_N$  and  $b_I$  represent the linear expansion coefficients for  $T < T_c^N$  and  $T > T_c^I$ . The terms  $-c_N (T_c^N - T)^{\beta_N}$  and  $c_I (T - T_c^I)^{\beta_I}$  describe the pretransitional behaviour near  $T_c$  with the "critical coefficients"  $c_N$  and  $c_I$ , the "critical exponents"  $\beta_N$  and  $\beta_I$ , and

the virtual transition temperatures  $T_c^N$  and  $T_c^I$ , whereas  $T_c$  is the equilibrium temperature at which both the nematic and the isotropic phase coexist.

For the first order phase transition,  $T_c^N \neq T_c^I$  holds.  $T_c^N$  and  $T_c^I$  are respectively model transition temperatures which determine the metastable region of the nematic phase ( $T_c < T < T_c^N$ ) and the isotropic phase ( $T_c^I < T < T_c$ ). The quantities  $b_N$ ,  $c_N$ ,  $\beta_N$ ,  $T_c^N$ ,  $b_I$ ,  $c_I$ ,  $\beta_I$  and  $T_c^I$  were obtained by a non-linear numerical least squares fit. Taking  $T_c$  as a start value of  $T_c^N$  being intermediate between  $T_N$  and  $T_I$ , according to Figure 1, and a corresponding  $V_c$  value by linear connection of the data points  $V_{c,1}$  and  $V_{c,2}$ , the first fit was performed. After this, further fits were carried out by varying  $T_c^N$  in the phase transition region until the minimum least mean squares error was obtained. Then the whole procedure was repeated for the isotropic part of the molar volume curve, with the same  $V_c$  value. The method described works very well as a variation of  $T_c^I$  or  $T_c^N$  of about  $0.08^\circ$  (within the phase transition region) produces an uncertainty of only about 5% for  $b_N$ ,  $c_N$  and  $c_I$ , 2% for  $b_I$ , 15% for  $\beta_N$  and 30% for  $\beta_I$ , but leads on the other hand to a very sensitive change in the mean squares error by an order of magnitude. The same procedure has been employed successfully by Press *et al.*<sup>3</sup> for fitting thermal coefficient data. It should be noted that our fits are not valid for the whole temperature range stated in equation (1). Our description is correct for the nematic phase temperatures  $T \leq T_N$  with  $T_N \leq T_c^N$  and for the isotropic phase for  $T \geq T_I$  with  $T_I \geq T_c^I$ , as there are no data points available in the phase transition region between  $T_I$  and  $T_N$ . In any case  $T_N < T_I$  holds and  $T_I - T_N$  typically amounts to  $0.05^\circ$ . The mean relative deviation, over the whole temperature range, between measured and calculated values of molar volumes typically amounts to  $3 \times 10^{-3}$  %. A more precise evaluation of the fit parameters would clearly require an improved temperature resolution and a better temperature stability of the measurement apparatus.

The actual volume jump  $\Delta V_c$  at  $T_c$  is extremely difficult to determine, as it is influenced by the strong pretransitional behaviour and depends on the temperature resolution and fluctuation in the measuring cell. So values of  $\Delta V_c$  may be very inexact and, more important, not free of an element of arbitrariness. In view of the intended comparison with the order parameter jump  $\Delta S_{zz}$  at  $T_c$  presented later, we have preferred to evaluate  $\Delta V_{c,99}$  as depicted in Figure 1 by a straight line extrapolation from the data points at  $t_r = 0.99$  and  $t_r = 1.01$  to  $t_r = 1.00$ .  $\Delta V_{c,99}$  includes, besides  $\Delta V_c$ , the volume change caused by the increase of the order parameter  $S_{zz}$  on going from the reduced temperature  $t_r = 1.00$  to  $t_r = 0.99$ . So it is natural to compare  $\Delta V_{c,99}$  with  $S_{zz}(t_r = 0.99)$  and not with  $\Delta S_{zz}$  at  $T_c$  which is again very inaccurately determined. By doing this, we introduce a small error caused by the extrapolation in the isotropic part of the molar volume from  $t_r = 1.01$  to  $1.00$ , where a weak pretransitional behaviour is observed, but actually a change in the order parameter  $S_{zz}$  no longer appears. We think that this small error can well be accepted.

We have investigated two different liquid crystal classes as shown in Figure 2a and 2b:

- a) Terminally polar liquid crystals
- b) Terminally non-polar liquid crystals

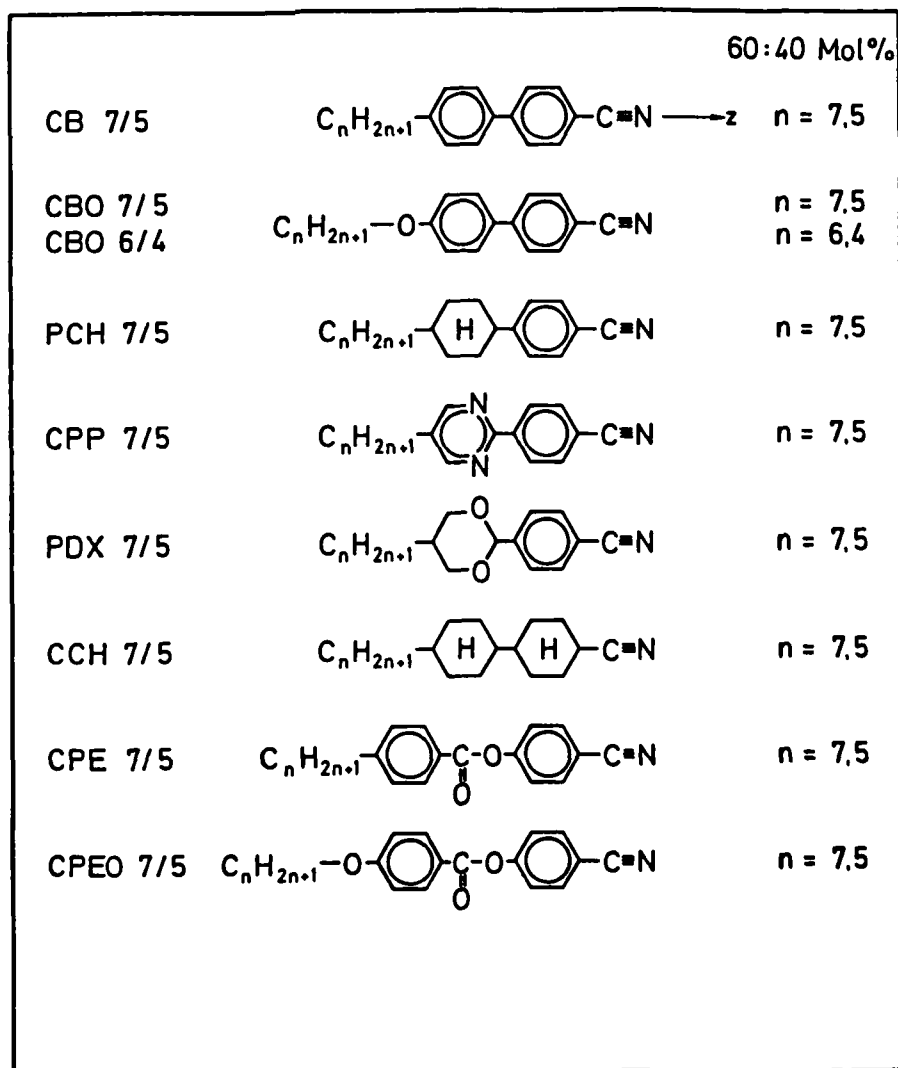


FIGURE 2a Schematic structures and molecular compositions of the terminally polar liquid crystal materials.

Table I contains the results of our fit calculations. In addition, the molar volumes at the reduced temperature  $t_r = 0.95$ , the volume discontinuity  $\Delta V_{c,99}$  and the phase transition region  $\Delta T_c$ , as determined by microscopic texture observation, are presented.  $T_s$  and  $T_F$  are the temperatures at which the density measurements were started and finished. The phase transition temperatures  $T_c^N$  and  $T_c^I$ , evaluated from minimizing the means squares error in the fit calculation, are interpreted as virtual phase transition temperatures according to the Landau theory.<sup>14</sup>

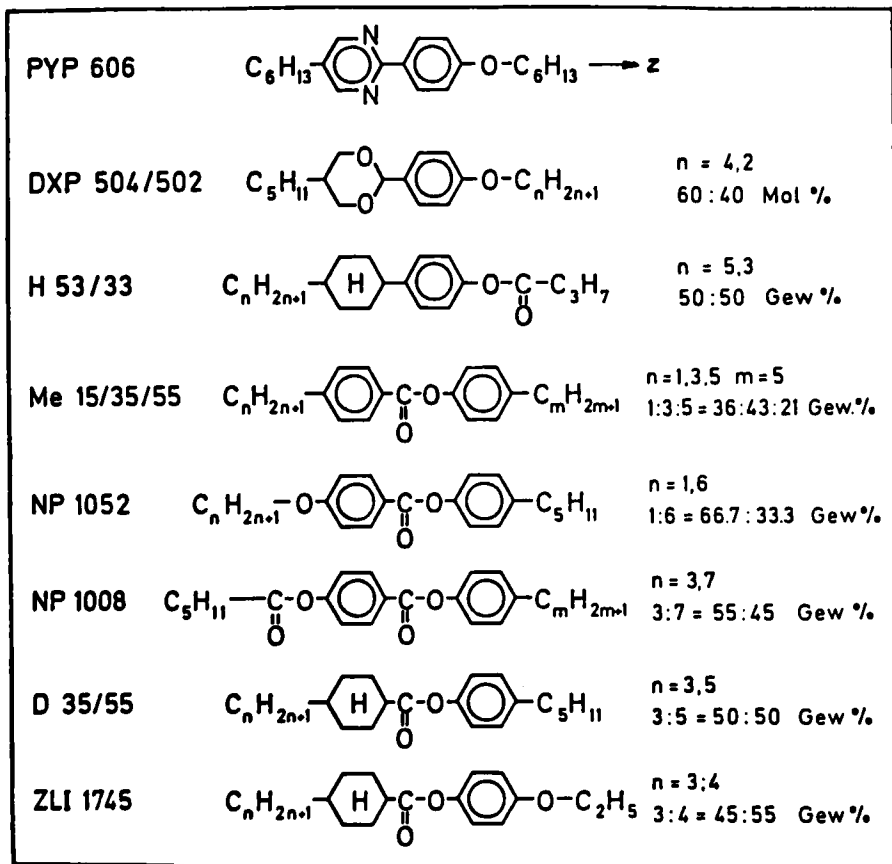


FIGURE 2b Schematic structures and molecular compositions of the terminally non-polar liquid crystal materials.

## RESULTS AND DISCUSSION

Looking at Table I, and considering errors due to measuring uncertainty and fit calculation, we can conclude that  $b_N$ ,  $c_N$ ,  $b_I$  and  $c_I$  depend on the molecular composition of the nematics. As for the "critical exponents"  $\beta_N$  and  $\beta_I$ , the situation is more difficult to judge, as the corresponding errors may be distinctly larger and the impurity of the materials might play a more decisive role. The  $\beta_N$ -values are quite closely clustered with the exception of the two extreme values (0.246 and 0.549). Believing in the universal nature of  $\beta_N$ , we average over the remaining 15  $\beta_N$ 's and obtain an average  $\beta_N$  given by:

$$\beta_N = 0.388^{+0.096}_{-0.085}$$

All  $\beta_N$ 's used are contained within the given limits. This value agrees very well with  $\beta_N = 0.44 \pm 0.11$  which was observed by Press and Arott with MBBA<sup>3</sup>. Lor-

TABLE I

Volumetric parameters as evaluated from a least squares fit to the model equations (1) for all liquid crystal materials given in Figure 2a and 2b. The fit parameters apply for temperatures  $T \leq T_N$  in the nematic phase and  $T \geq T_I$  in the isotropic phase, with  $T_N \leq T_c^I$  and  $T_I \geq T_c^I$ .  $T_N$ ,  $T_c^I$ ,  $T_I$  and  $T_c^I$  are also given in the Table.  $T_c^I$  and  $T_c^I$  are interpreted as virtual transition temperatures. In addition, the molar volume  $V_N$  at  $t_c = 0.95$ , as well as the volume discontinuity  $\Delta V_{c,99}$  are presented. The phase transition region,  $\Delta T_c$ , where nematic and isotropic phases coexist was determined by microscopic texture observation.  $T_s$  and  $T_F$  denote the temperatures at which the density measurements were started and finished.

Substanz	$T_N$ [°C]	$T_c$	$V_N$	$b_N$	$c_N$	$b_N$	$T_c^I$	$T_I$	$b_I$	$c_I$	$b_I$	$\Delta V_{c,99}$ [cm <sup>3</sup> /mol]	$T_s \leftrightarrow T_F$ [°C]	$V_N(t_c = 0.95)$ cm <sup>3</sup> /mol	$\Delta T_c$
CB 7/5	38.90	38.84	267.387	0.194	0.564	0.344	38.84	38.88	0.206	0.385	0.151	0.753	80 - 15	262.893	0.04
CB0 6/4	74.85	74.79	262.149	0.179	0.366	0.484	74.82	74.83	0.212	0.251	0.134	0.536	85 - 52	257.571	0.06
CB0 7/5	71.17	71.13	278.817	0.167	0.380	0.549	71.12	71.16	0.224	0.201	0.198	0.470	86 - 32	274.115	< 0.04
CPH 7/5	50.90	50.79	259.159	0.187	0.348	0.415	50.83	50.90	0.199	0.202	0.170	0.487	80 - 33	255.036	< 0.08
PDI 7/5	47.87	47.85	271.711	0.199	0.378	0.402	47.86	47.89	0.215	0.164	0.238	0.452	70 - 32	267.382	0.12
PDI 7/5	55.69	55.64	292.280	0.204	0.821	0.325	55.63	55.69	0.232	0.593	0.104	1.250	80 - 20	286.832	0.04
CDH 7/5	83.38	83.30	315.377	0.211	0.869	0.410	83.36	83.40	0.254	0.508	0.178	1.252	90 - 50	308.783	0.20
CPE 7/5	55.80	55.72	296.007	0.222	0.619	0.305	55.73	55.81	0.227	0.439	0.131	0.678	80 - 33	290.686	< 0.09
CPD 7/5	78.05	77.98	306.291	0.213	0.392	0.450	78.016	78.03	0.242	0.255	0.134	0.574	90 - 55	301.120	< 0.04
PTP 606	60.53	60.47	349.545	0.252	0.728	0.376	60.516	60.52	0.292	0.481	0.102	1.035	78 - 34	343.201	0.05
DIP 504/502	51.59	51.52	296.797	0.219	0.517	0.399	51.52	51.59	0.247	0.349	0.115	0.765	80 - 26	291.643	< 0.07
H 53/33	38.33	38.28	311.261	0.235	0.426	0.344	38.31	38.32	0.248	0.274	0.116	0.609	65 - 20	306.503	0.06
HP 15/35/55	18.98	18.93	296.358	0.235	0.492	0.246	18.953	18.96	0.229	0.370	0.091	0.788	50 - 5	294.009	0.08
HP 1052	48.03	47.99	305.768	0.212	0.492	0.359	48.002	48.02	0.238	0.293	0.108	0.685	70 - 20	300.999	0.08
HP 1008	56.100	56.04	364.561	0.256	0.548	0.399	56.075	56.08	0.287	0.424	0.151	0.852	70 - 25	358.519	0.09
D 35/55	41.66	41.60	346.893	0.244	0.518	0.409	41.635	41.64	0.278	0.332	0.123	0.713	70 - 15	341.433	0.04
ZLI 1745	76.33	76.27	283.700	0.203	0.475	0.398	76.292	76.30	0.231	0.299	0.148	0.678	86 - 46	278.642	0.05



entz found, for homologues of the azoxybenzenes, a much stronger variation in the  $\beta_N$ -values between 0.189 and 0.48.<sup>5</sup> According to Landau theory one would expect  $\beta_N = \beta_I = 0.50$ .<sup>14</sup>

As far as the exponent  $\beta_I$  is concerned, the broader spread of the values is quite normal in consideration of the stronger influence of the measuring uncertainty. Neglecting the extreme value  $\beta_I = 0.238$  (for PDX 7/5) and averaging again over the remaining 16  $\beta_I$ 's, we arrive at the average exponent

$$\beta_I = 0.135^{+0.065}_{-0.045}$$

This agrees quite well with  $0.1 < \beta_I \leq 0.21$  found by Lorentz for homologues of the azoxybenzene.<sup>5</sup> Press and Arott determined for MBBA  $\epsilon_I = 1 - \beta_I = 0.21$  which is equivalent to  $\beta_I = 0.79$ , deviating strongly from our result. But Press *et al.* probably used a sample of reduced purity, as they reported a broad two phase region  $\Delta T_c$  of about  $0.3^\circ \text{C}$ . On the other hand, with the exception of PDX 7/5 and CCH 7/5, the width  $\Delta T_c$  of the nematic-isotropic phase transition for all the nematics we have investigated did not exceed  $0.1^\circ \text{C}$  (see Table I). This indicates the high purity of our samples. We think that differences in the purity of the materials may strongly influence the results for  $\beta_N$  and  $\beta_I$ . Although we have checked a larger number of materials, and the spread of the  $\beta_N$ - and  $\beta_I$ -values is not too great, one must be careful about affirming the universal nature of  $\beta_N$  and

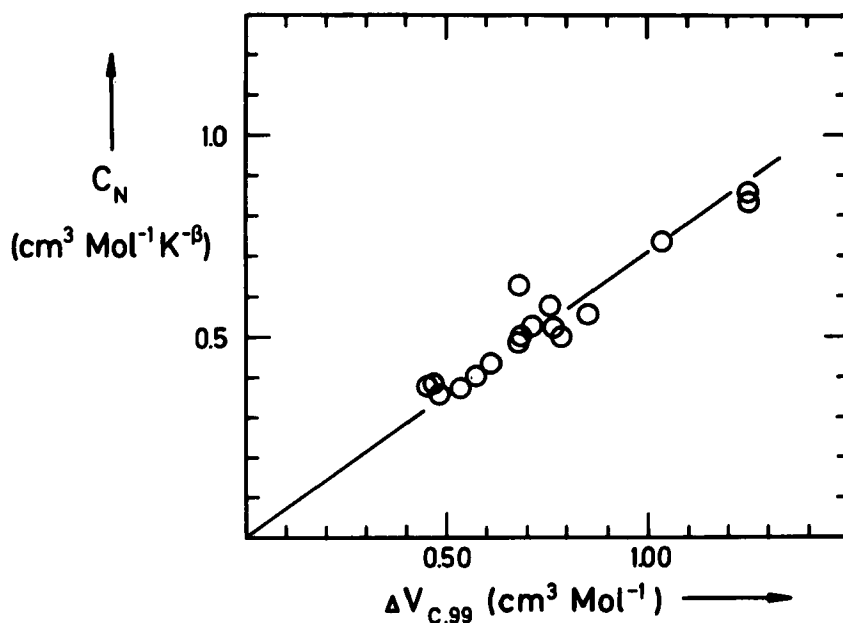


FIGURE 3 Coefficient  $c_N$  as a function of  $\Delta V_{c,99}$  for the liquid crystal materials given in Figure 2a and 2b.

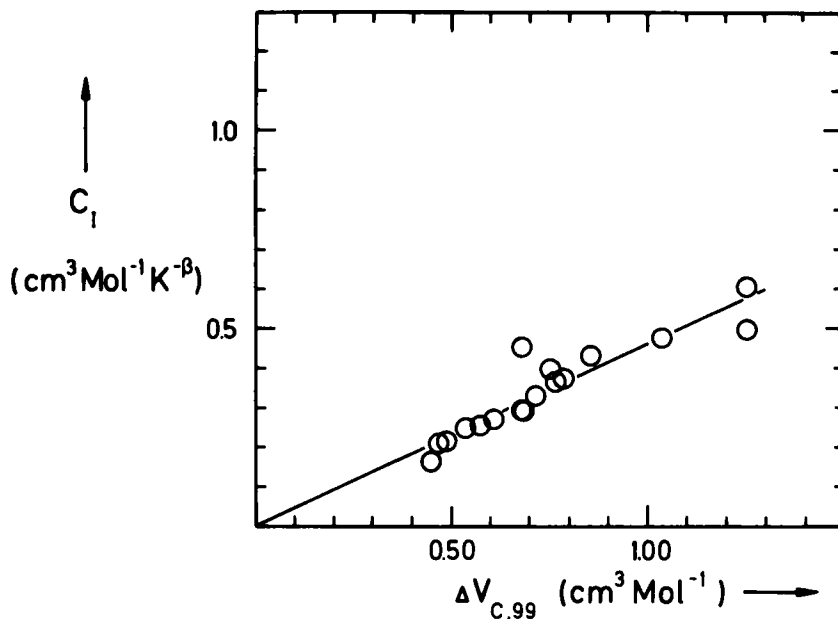


FIGURE 4 Coefficient  $c_I$  as a function of  $\Delta V_{c,99}$  for the liquid crystal materials given in Figure 2a and 2b.

$\beta_I$ . Measurements are clearly required using an apparatus with an improved temperature resolution and temperature stability.

As can be seen in Figure 3 and Figure 4, there exists a distinct correlation between  $c_N$  and  $\Delta V_{c,99}$  as well as  $c_I$  and  $\Delta V_{c,99}$ . Therefore  $c_N$  or  $c_I$  can be utilized as a measure of the volume discontinuity. A correlation between  $c_N$  and  $\Delta V_c$  has also been observed by Lorentz<sup>5</sup> for homologues of the azoxybenzenes. We have not found any correlation between  $b_N$ ,  $\beta_N$ ,  $b_I$ ,  $\beta_I$  and  $\Delta V_{c,99}$ .

The first order isotropic-nematic phase transition is characterized by a discontinuity in the density and the order parameter  $S_{zz}$ . One can therefore suppose a relationship between these two quantities. As it is extremely difficult to evaluate the exact order parameter jump at  $T_c$ , we have preferred to determine the change in  $S_{zz}$  from  $t_r = 1.00$  to  $t_r = 0.99$  by analysing<sup>10-12</sup> the infrared dichroism of the cyano-vibration and the benzene ring skeletal vibrations at  $1500\text{ cm}^{-1}$  and  $1600\text{ cm}^{-1}$ . As Figure 5 shows, there exists a correlation between the molar volume jump  $\Delta V_{c,99}$  and the order parameter  $S_{zz}$  ( $t_r = 0.99$ ) for the various liquid crystals, with the exception of the result for CCH 7/5. The reason for the different behaviour of CCH 7/5 might be the non-planar geometry of the two cyclohexane rings. The direction of the  $\text{C}\equiv\text{N}$ -axis probably deviates from the long molecular principal axis, and the infrared measurement yields a smaller order parameter  $S_{zz}$ . Because of the correlation given in Figure 5, liquid crystals with a terminal alkyl chain show a larger volume jump  $\Delta V_{c,99}$  than nematics with a corresponding alkoxy chain (for example compare CB 7/5 with CBO 6/4 or CBO 7/5, CPE 7/5 with CPEO 7/5 and

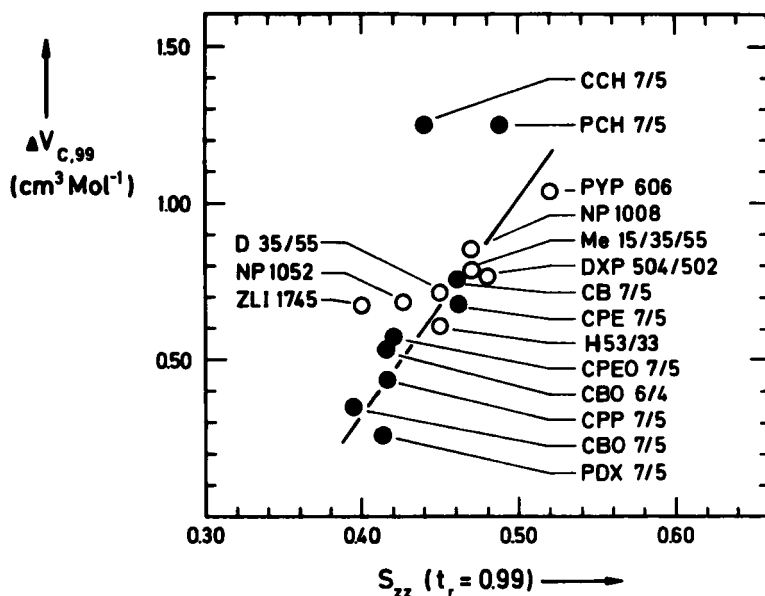


FIGURE 5 Molar volume jump  $\Delta V_{c,99}$  as a function of the order parameter  $S_{zz}$  ( $t_r = 0.99$ ). The  $S_{zz}$  values are derived from infrared dichroism measurements.<sup>10-12</sup>

Me 15/35/55 with NP 1052). Moreover the volume jump for the terminally polar mixtures CPP 7/5 and PDX 7/5 is considerably smaller than that for the terminally non-polar nematics PYP 606 and DXP 504/502.

There exists no correlation between the absolute values of the density (molar volume) and the order parameter  $S_{zz}$  for the various liquid crystals. One could argue that for a more correct comparison, one should use the molecular packing densities. But this would require an estimation of the molecular volumes in the nematic phase which can differ considerably from well known values relating to the crystalline phase.

Terminally cyano-substituted liquid crystals show smaller molar volumes,  $V_N$  ( $t_r = 0.95$ ),  $V_{iso}$  and linear expansion coefficients  $b_N$  and  $b_1$  than nematics which possess a terminally non-polar alkyl-, alkoxy- or alkanoyloxy-chain (see for comparison Table II). One could argue that terminally polar molecules form dimers<sup>15</sup> and therefore achieve a higher packing density. On the other hand, the investigated non-polar nematics PYP 606, DXP 504/502, H53/33 and Me 15/35/55 possess—instead of the stiff and short cyano-group—the longer, more extended and more flexible alkyl chain which requires accordingly a larger volume. Therefore it is in our opinion not possible to correlate the lower values of  $b_N$ ,  $b_1$ ,  $V_N$  and  $V_{iso}$  with the dipole association of the terminally polar molecules.

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TABLE II

Comparison of volumetric properties for terminally polar compounds (CPP 7/5, PDX 7/5, PCH 7/5, CPE 7/5) and corresponding terminally non-polar nematics (PYP 606, DXP 504/502, H 53/33, Me 15/35/55).

	CPP 7/5 $\longleftrightarrow$ PYP 606	PDX 7/5 $\longleftrightarrow$ DXP 504/502
$b_N$	0.187	0.199
$V_N$ ( $t_r = 0.95$ )	255.04	267.38
$V_{iso}$ ( $80^\circ, 65^\circ$ )	265.31 ( $80^\circ$ ) 355.85	291.64
$(\rho_{iso})$	(1.010757) (0.95620)	275.73 ( $65^\circ$ ) 300.60 (1.00097) (0.98145)
	PCH 7/5 $\longleftrightarrow$ H 53/33	CPE 7/5 $\longleftrightarrow$ Me 15/35/55
$b_N$	0.204	0.222
$V_N$ ( $t_r = 0.95$ )	286.83	290.89
$V_{iso}$ ( $65^\circ$ )	295.22 ( $65^\circ$ ) 318.28	298.711 ( $65^\circ$ ) 309.453*
$(\rho_{iso})$	(0.92215) (0.94756)	(1.03771) (0.98424)*

\* extrapolated value

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